

Bibliography for Arithmetic Dynamical Systems

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This document lists a wide variety of articles and books in the area of arithmetic dynamics. It also includes some additional references that were needed in *The Arithmetic of Dynamical Systems* (Springer-Verlag GTM 241). Note that the numbering in this document does not match the numbering of references in GTM 241.

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